Ultra-forward particle production from CGC+Lund fragmentation

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UF production from CGC+Lund

Outline



Introduction

• Forward production in the Color Glass Condensate: Hybrid formalism

2. The Monte-Carlo event generator

- Perturbative parton production: implementation of DHJ formula
- Multiple scattering: eikonal model
- Hadronization: Lund fragmentation model

3. Results:

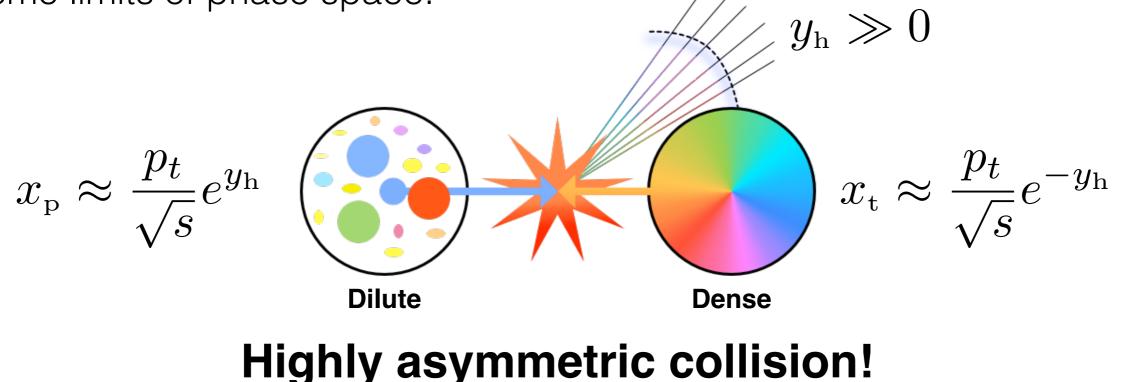
- RHIC: d-Au @ 200 GeV
- LHCf: p-p @ 7 TeV
- LHCf: p-Pb @ 5.02 TeV
- LHCf: nuclear modification factor $R_{\rm p-Pb}$ @ 5.02 TeV

4. Conclusions, future prospects

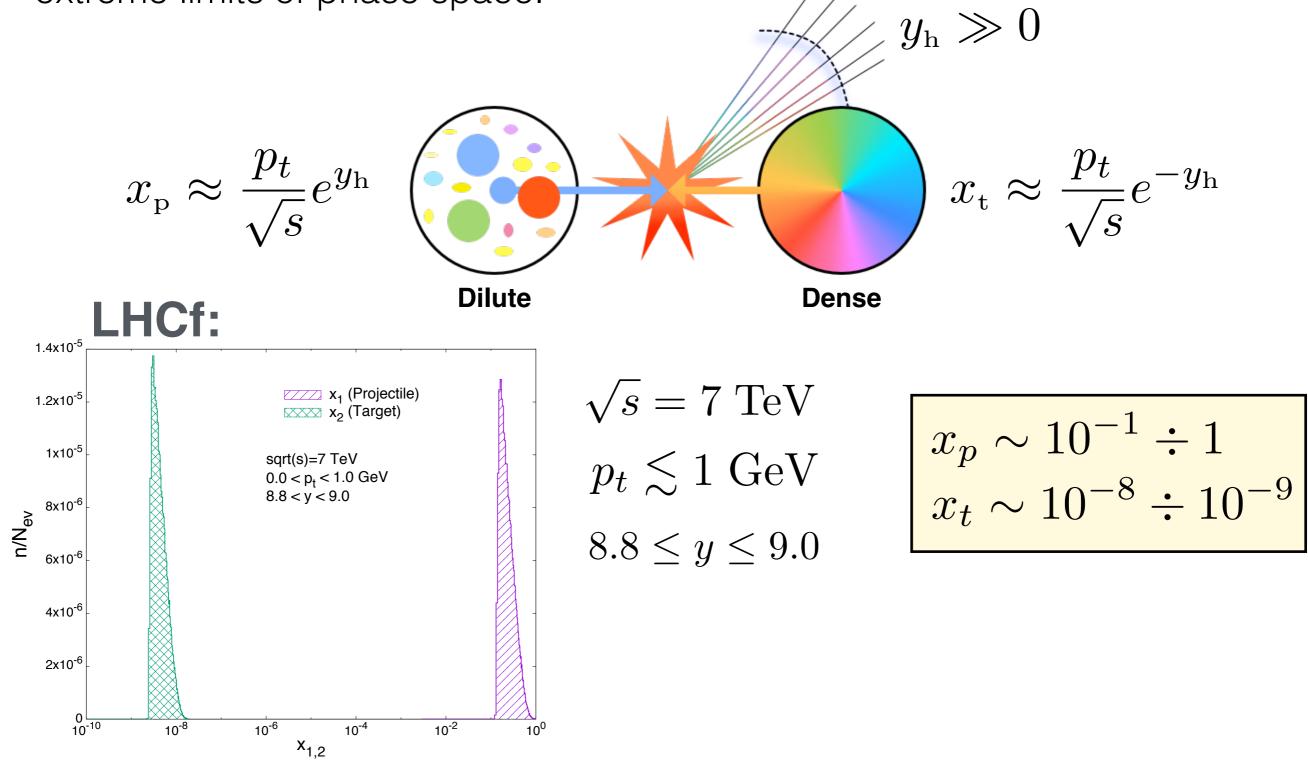
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 The analysis of the very forward region of particle production in high-energy collisions gives us access to the wave functions of colliding objects in the extreme limits of phase space.

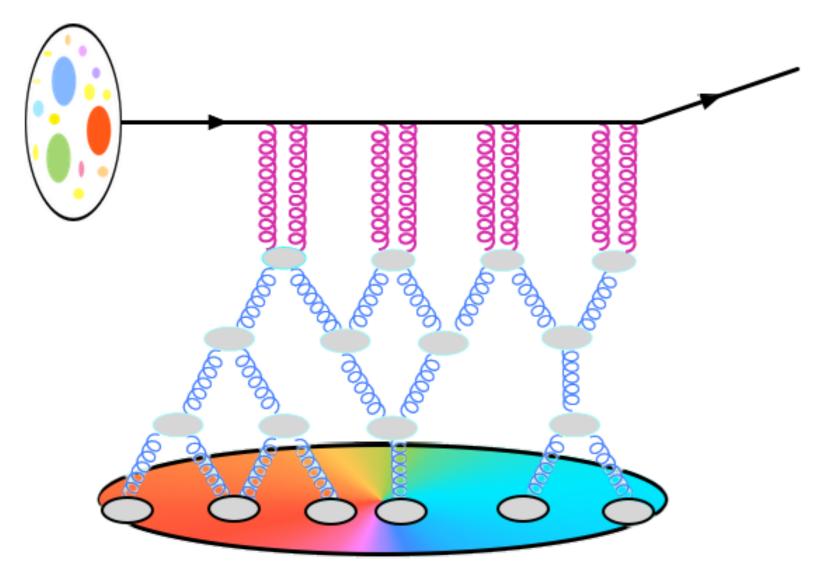
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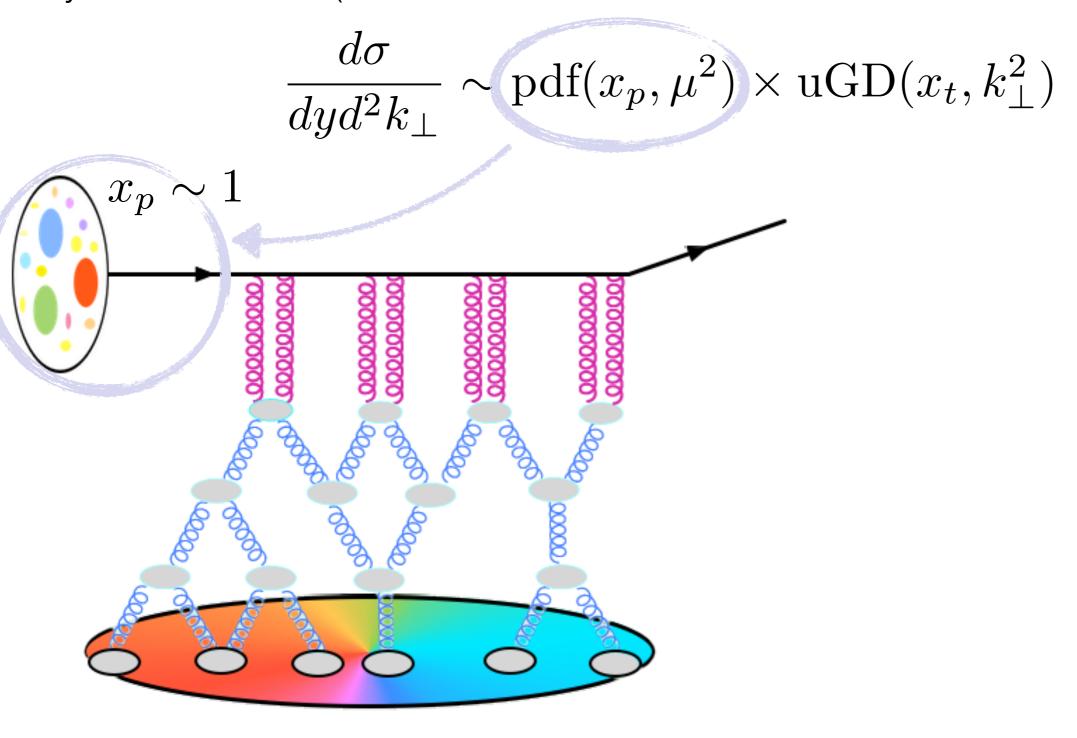


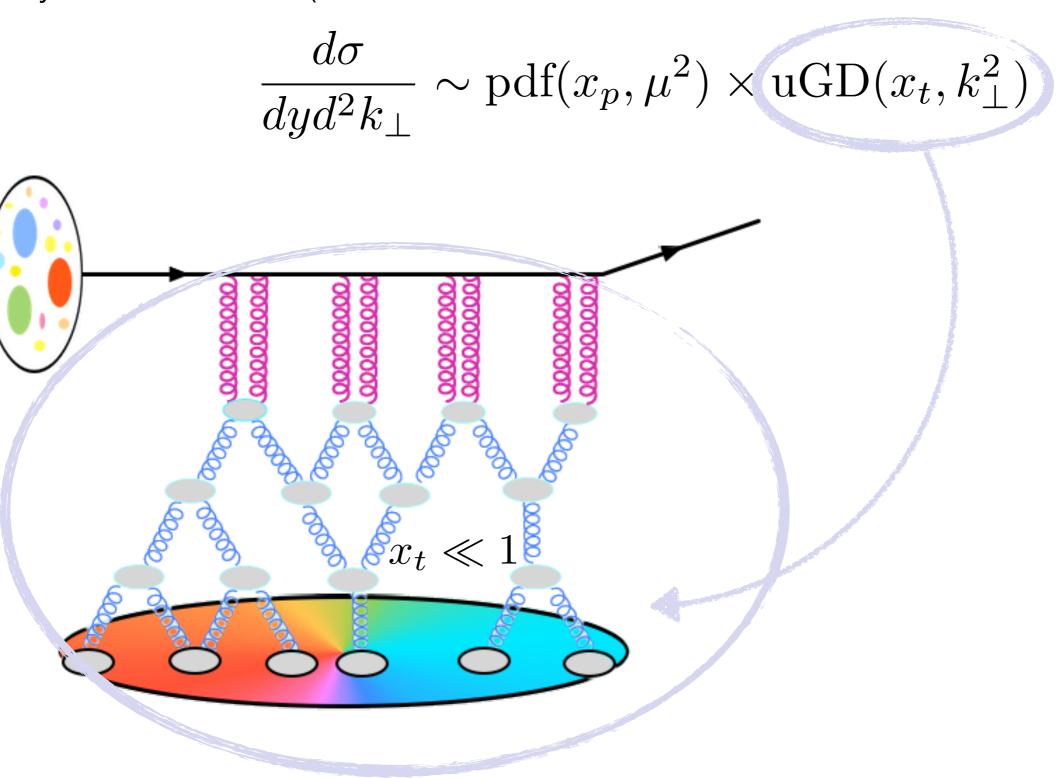
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$$\frac{d\sigma}{dyd^2k_{\perp}} \sim \mathrm{pdf}(x_p, \mu^2) \times \mathrm{uGD}(x_t, k_{\perp}^2)$$

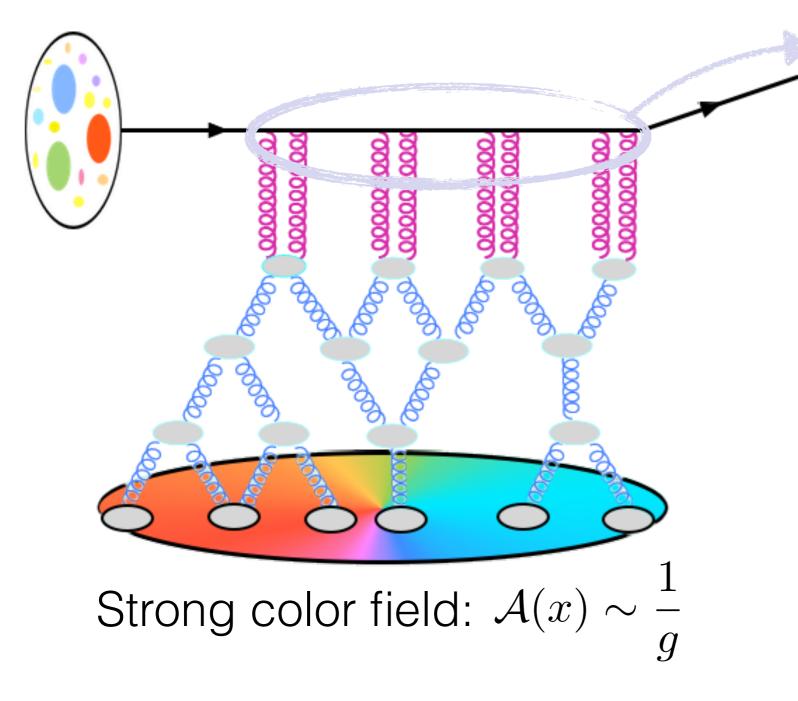






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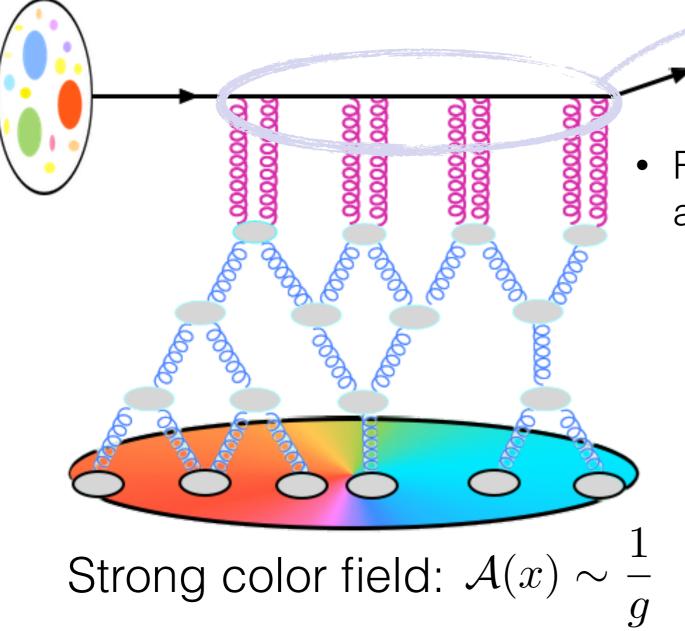


Multiple scattering:

All terms of order $g\mathcal{A}(x) \sim \mathcal{O}(1)$ must be resummed.

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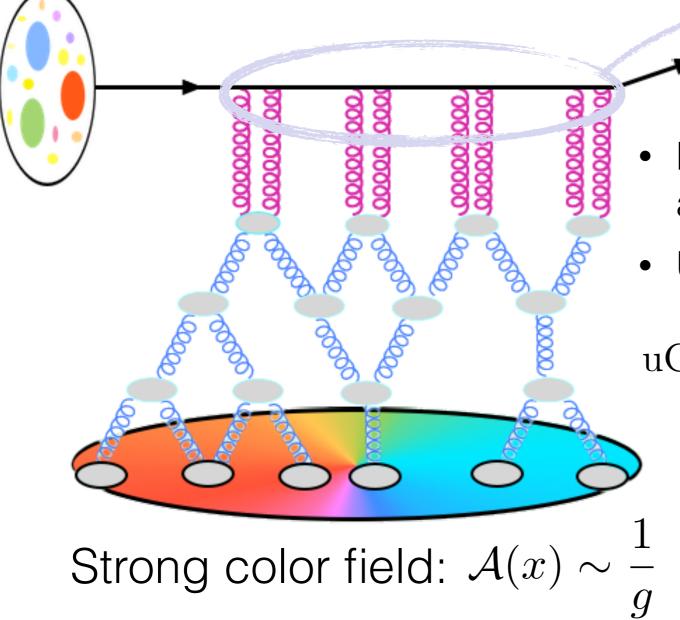
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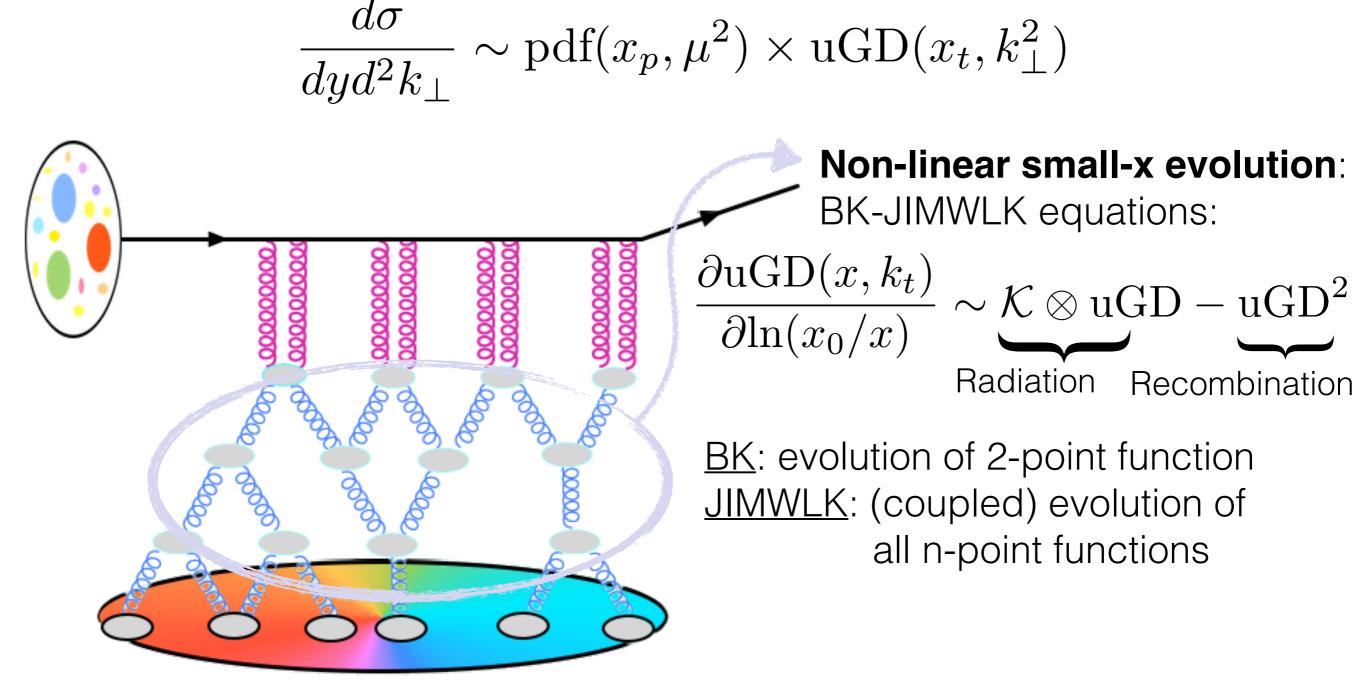
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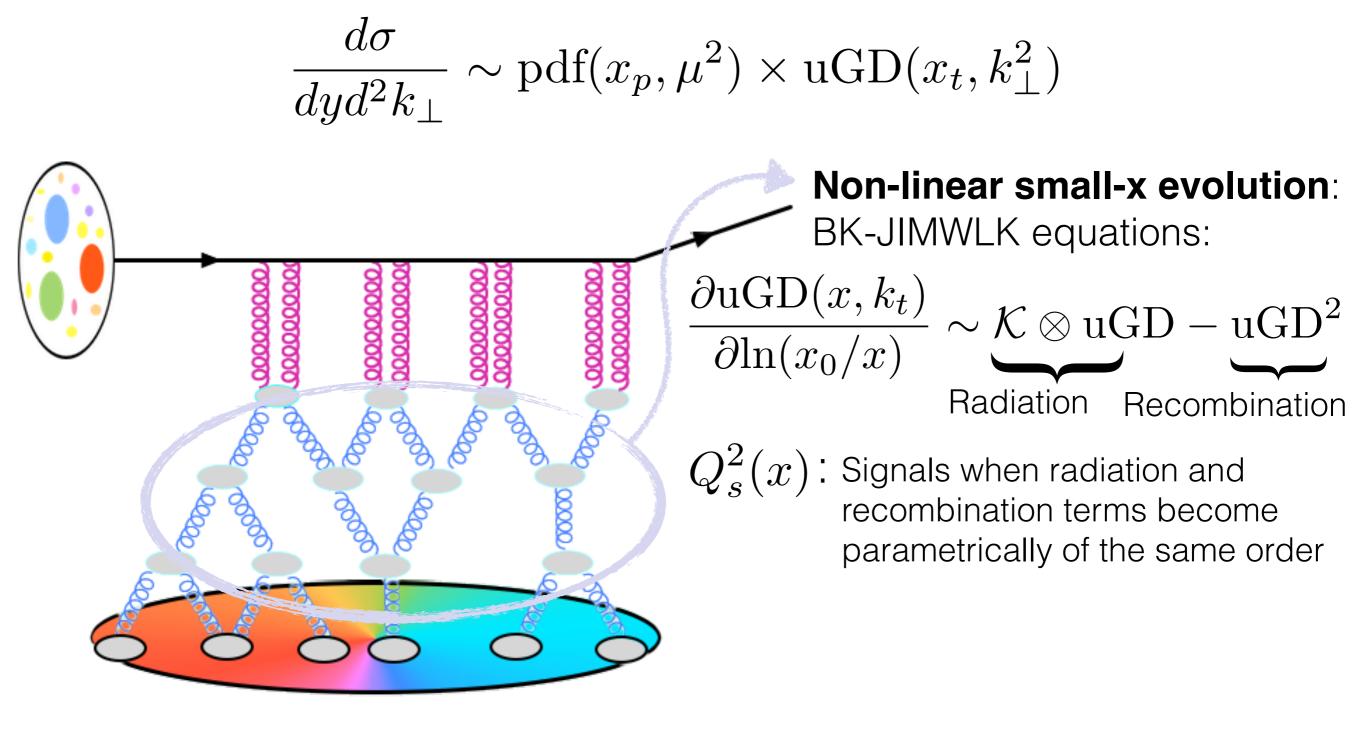
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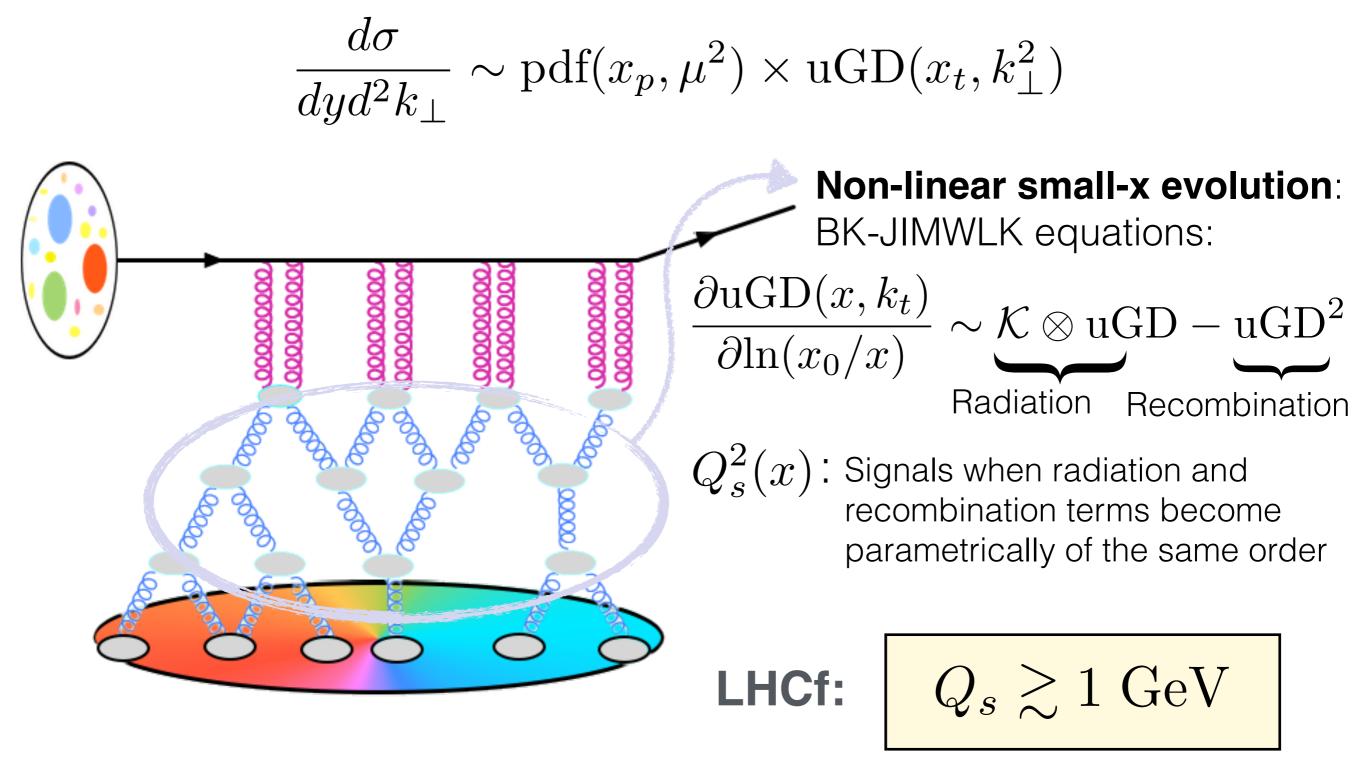
- Resummation to all orders + eikonal approximation: Wilson line $U(z_{\perp})$
- Unintegrated gluon distribution:

$$\operatorname{uGD}(x_0, k_t) = \operatorname{FT}\left[1 - \frac{1}{N_c} \langle \operatorname{tr}(UU^{\dagger}) \rangle_{x_0}\right]$$

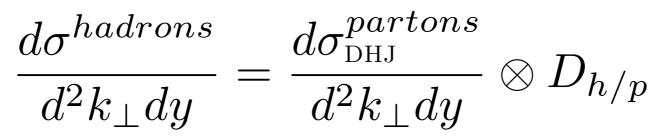
Dipole scattering amplitude

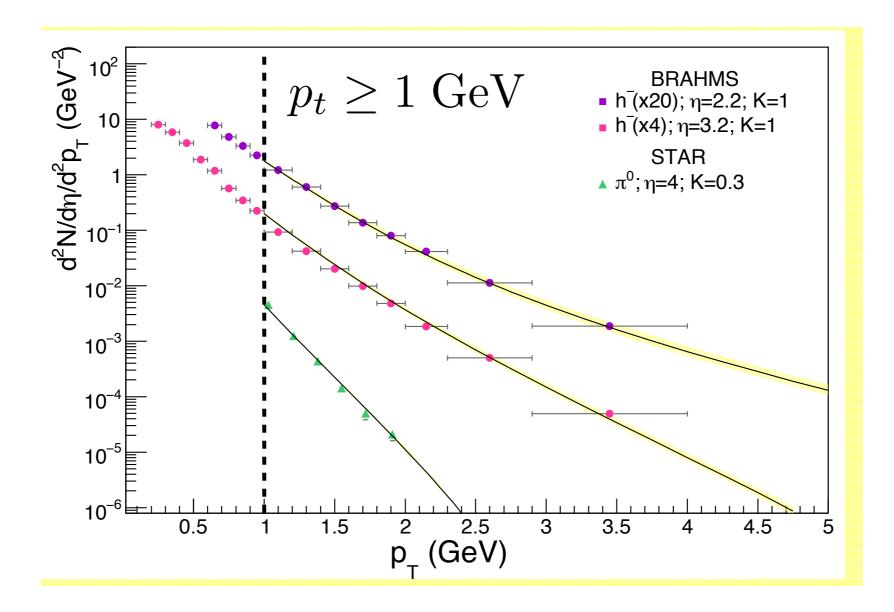






• Previous approaches:





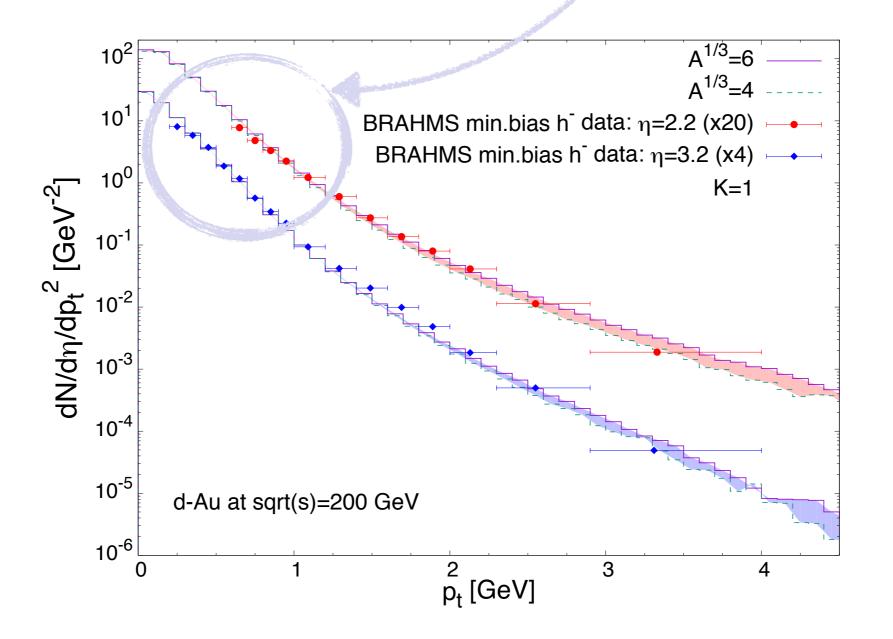
Albacete, Javier L. et al. Phys.Lett. B687 (2010) 174-179 arXiv:1001.1378 [hep-ph]

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UF production from CGC+Lund

• Our approach: Monte-Carlo implementation of

Hybrid formalism + Lund string fragmentation

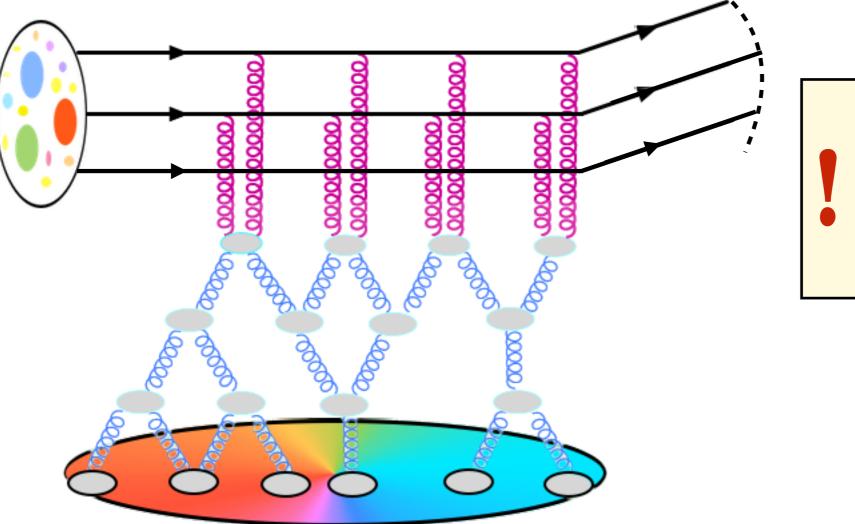


• Our approach:

Monte-Carlo implementation of

Hybrid formalism + Lund string fragmentation

+ Multiple parton scattering \sim



Not to be confused with multiple gluon scattering encoded in uGD's

$$\frac{d\sigma^{h_1h_2 \to (q/g)X}}{dyd^2k_t} = \frac{K}{(2\pi)^2} \frac{\sigma_0}{2} x_p f_{(q/g)/h_1}(x_p,\mu^2) N_{(F/A),h_2}(x_t,k_t^2)$$

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- Proton PDF: CTEQ6 LO set (J. Pumplin et. al., JHEP 07 (2002) 012)
- Default factorization scale: $\mu = \max\{k_t, Q_s\}$

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LHCf:
$$Q_s \gtrsim 1 \text{ GeV}$$

RHIC: $Q_s < 1 \text{ GeV}$ $\longrightarrow \mu = 1.5 \text{ GeV}$

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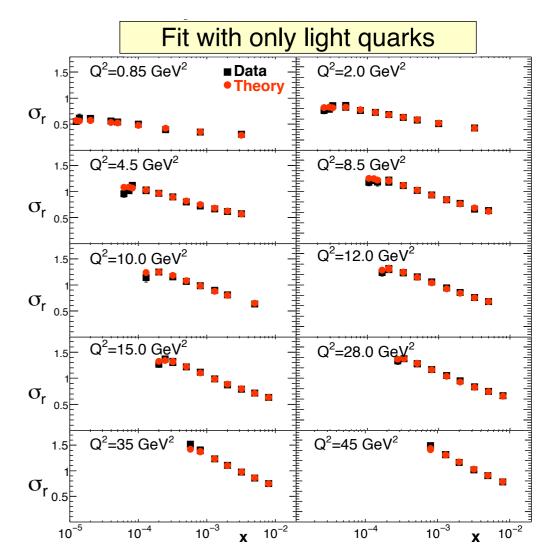
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 uGD's: Fourier transforms of dipole scattering amplitudes.

$$N_{F(A)}(x,k_t) = \int d^2 \mathbf{r} \ e^{-i\mathbf{k_t}\cdot\mathbf{r}} \left[1 - \mathcal{N}_{F(A)}(x,r)\right].$$

• Small-x evolution: We take parametrization of $\mathcal{N}_{F(A)}(x,r)$ from the *AAMQS* fits to data on the structure functions measured in e+p scattering at HERA:





- J. L. Albacete, N. Armesto, J. G. Milhano and C. A. Salgado, Phys. Rev. D80 (2009) 034031.
- J. L. Albacete, N. Armesto, J. G. Milhano, P. Quiroga-Arias and C. A. Salgado, Eur.Phys.J. C71 (2011) 1705

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rc-BK evolution

Initial conditions for evolution:

$$\mathcal{N}_F(x_0, r) = 1 - \exp\left[-\frac{\left(r^2 Q_{s0}^2\right)^{\gamma}}{4}\log\left(\frac{1}{\Lambda r} + e\right)\right]$$

$$x_0 = 10^{-2}$$
 $\gamma = 1.101$ $Q_{s0}^2 = 0.157 \, \text{GeV}^2$

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• uGD's for nuclear target:

$$Q^2_{s0,nucleus} = A^{1/3}Q^2_{s0,proton}$$

$$\uparrow$$

$$Oomph \, factor$$

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UF production from CGC+Lund

- Degree of accuracy of our approach:

 - Scale dependence of PDF's ----- LO DGLAP evolution
 - Scale dependence of UGD's → rc-BK evolution

- *State-of-the-art* degree of accuracy:
 - → DHJ formula → NLO^{1, 2}
 - Scale dependence of PDF's → DGLAP NNLO³
 - Scale dependence of UGD's → BK NLO^{4,5}

1 T. Altinoluk, N. Armesto, G. Beuf, A. Kovner and M. Lublinsky, Phys. Rev. D91 (2015)no. 9 094016

- 2 G. A. Chirilli, B.-W. Xiao and F. Yuan, Phys.Rev. D86 (2012) 054005
- 3 Gao, Jun et al. Phys.Rev. D89 (2014) no.3, 033009
- 4 I. Balitsky and G. A. Chirilli, Phys. Rev. D77 (2008) 014019
- ⁵I. Balitsky and G. A. Chirilli, Phys. Rev. D88 (2013) 111501

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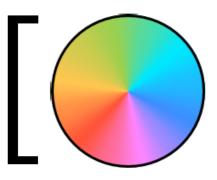
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• Implicit integration in impact parameter \vec{b} : $\sigma_0/2$

Free fit parameter of AAMQS fits:

$$\frac{\sigma_0}{2} = 16.5 \text{ mb}$$



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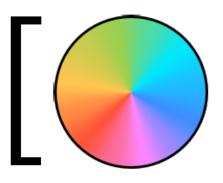
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- + K-factor: not the result of any calculation. May account for:
 - Higher order corrections
 - Non-perturbative effects
 - (...)

Multiple scattering: eikonal model

• Number of **independent** hard scatterings according to Poisson probability distribution of mean *n*, where:

$$n(b,s) = T_{\rm pp}(b)\sigma_{\rm dhy}(s)$$

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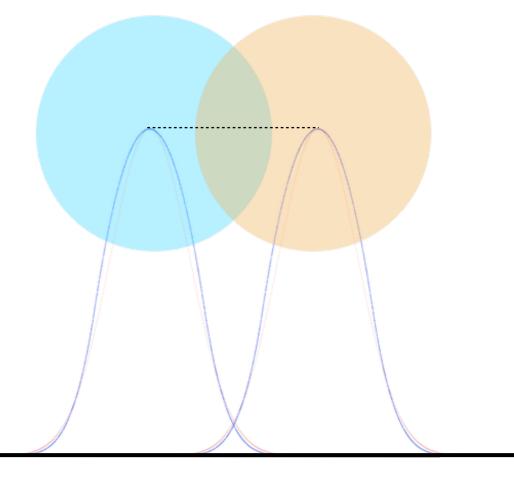
$$n(b,s) = T_{\rm pp}(b)\sigma_{\rm dhj}(s)$$

• b randomly generated between 0 and b_{max} :

$$b_{max} = \sqrt{\frac{\sigma_{nd}}{\pi}}$$

• Spatial overlap: convolution of two Gaussians.

$$T_{\rm pp}(b) = \frac{1}{4\pi B} \exp\left(-\frac{b^2}{4B}\right)$$



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• For a nuclear target of mass number A:

$$T_{\rm pA}(b) = \frac{1}{\pi R_{\rm p}^2 (A^{2/3} + 1)} \exp\left(\frac{-b^2}{R_{\rm p}^2 (A^{2/3} + 1)}\right) \qquad R_{\rm A}^2 = R_{\rm p}^2 A^{2/3}$$

Hadronization: Lund fragmentation model

 Simple but powerful picture of hadron production based on the breaking of strings between partons:

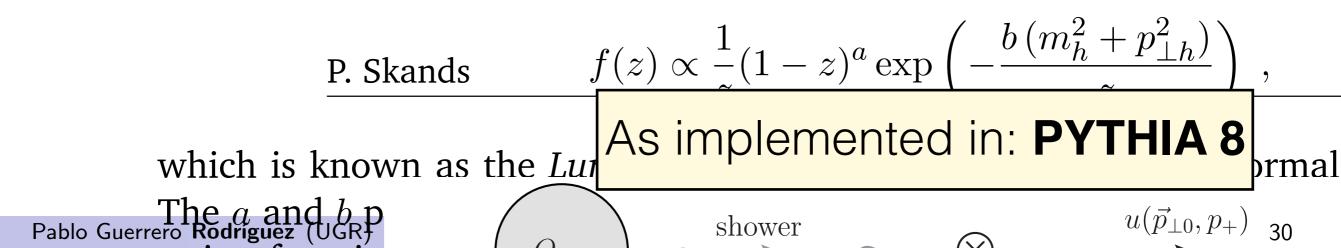
String tempion: K0.4

1.0

$$a=0.5,\,m_{\perp}$$

Figure 31: Normalized Lund symmetric tragmentation function, for fix • Probabilityriation of blacking tameter, from 0.5 (red) to 2 (blue) GeV⁻², with fixed variation of the *b* parameter, from 0.5 (red) to 2 (blue) GeV⁻², with fixed $\operatorname{Prob}(m_q^2, p_{\perp q}^2) \propto \exp\left(\frac{-\pi m_q^2}{\kappa}\right) \exp\left(\frac{-\pi p_{\perp q}^2}{\kappa}\right)$ string picture is substantially more predictive than for the flavor selection ment that the fragmentation be independent of the sequence in which br

(causality) imposes a "left-right symmetry" on the possible form of the fraction f(z), with the solution

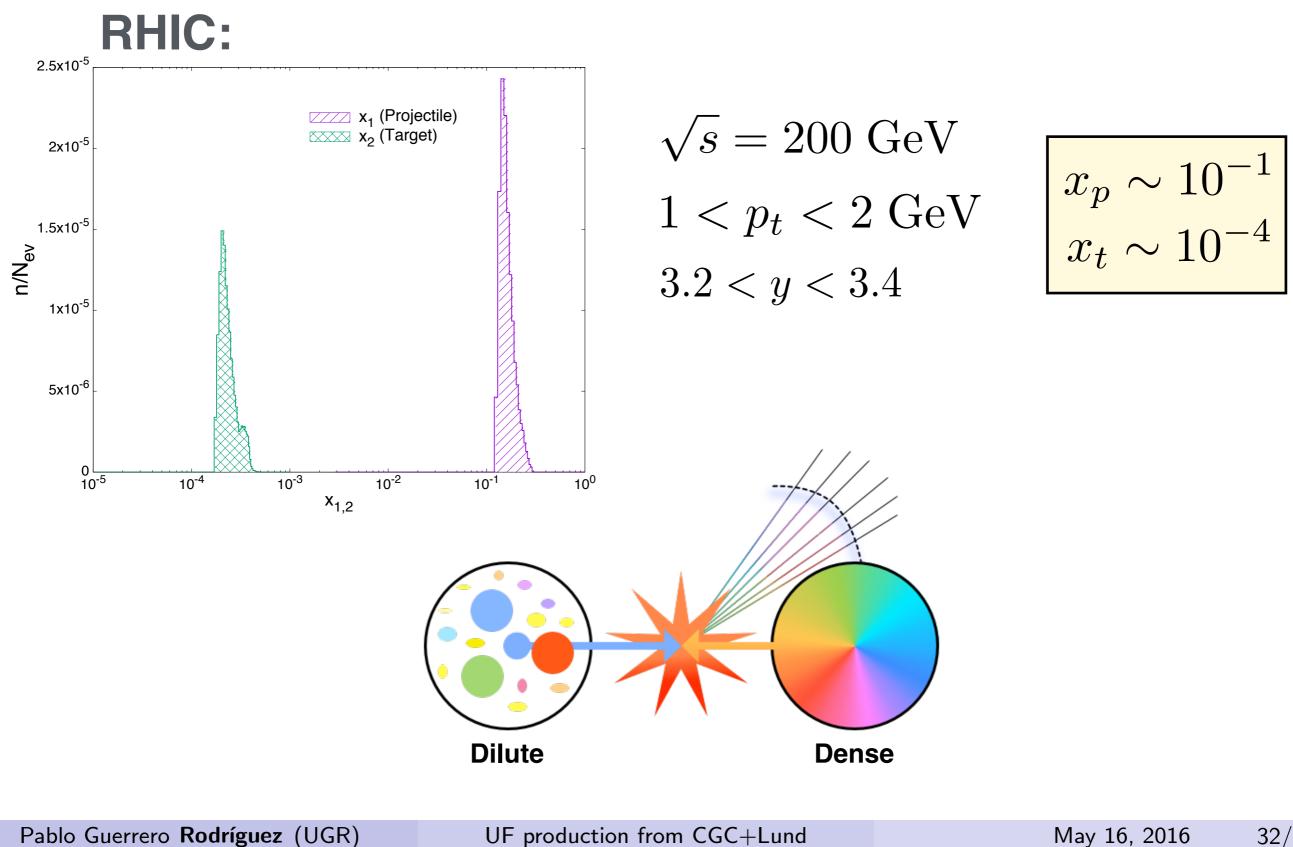


Hadronization: A und fragmentation incompation of the produced figure 30 b. 10 ne can thereby defined hadron in each step, with a mass that, for unstable hadrons, is strings between partons:
 Simple between partons: The details of the individual string breaks are not known from fir model invokes the idea of quantum methanical tunneling, which fead is so of the energiestand mass for the produced quarks5, m.

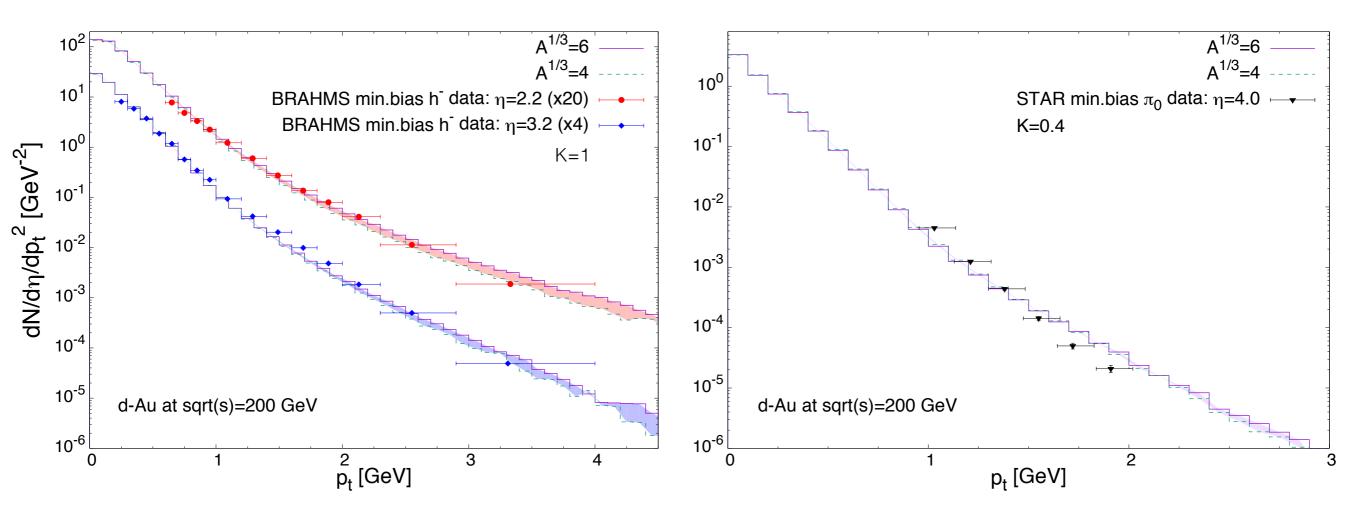
Figure 31: Normalized Lund symmetric fragmentation function, $\pi f \rho t$ fix Probabilityriation of breaking Ray bever k fragin with (by pet to 2019p (ret), with fixed) variation of the h narameter, from 0.5 (red) to 2 (blue) GeV $\stackrel{1}{\rightarrow}$ with fixe $-\pi p_{\perp \alpha}^{2}$ $-\pi m_a^2$ where m_q is the mass of Rhe $pr_q^2 dr_{uc}^2 dr_{uc$ ic by the prestain substantially in the pradicitive than proting flavor selectic mone that the fragmentation the independent of the servence in which be of produced guarks in this model is independent of the quark, flavor, v value of with the solution $m_{h}^{2} + p_{h}^{2}$ $f(z) \propto -(1-z)^a \exp(z)$ Skands $\kappa/\pi \sim (240 \,\mathrm{MeV})$ P. Skands strin ansver As implemented in: **PYTHIA 8** where $p_+)$ $Q_{\rm UV}$ Pablo Guerrero Rodriguez

RHIC: d-Au @ 200 GeV

• Forward spectra observed at RHIC allows for a description in terms of CGC:



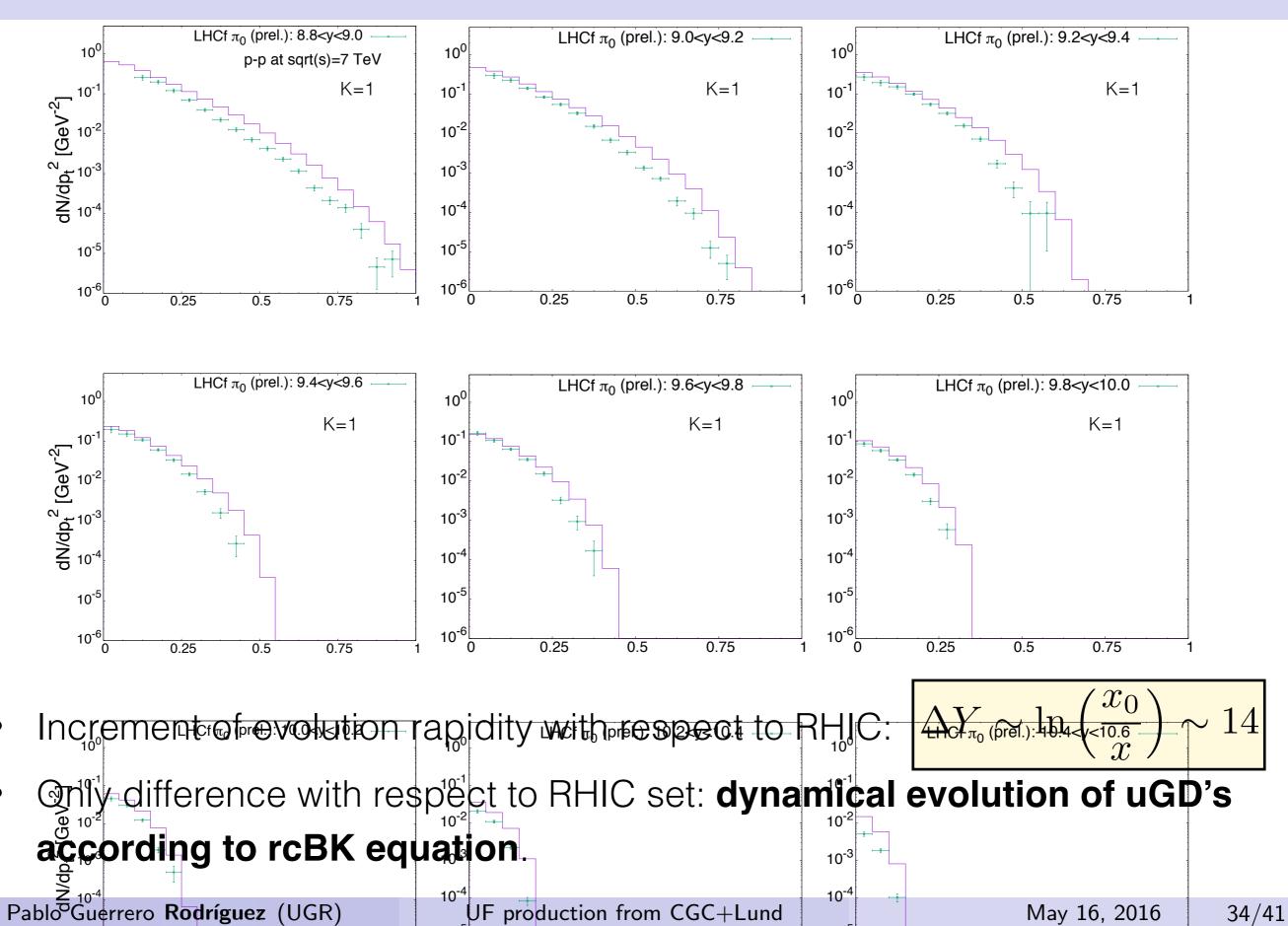
RHIC: d-Au @ 200 GeV



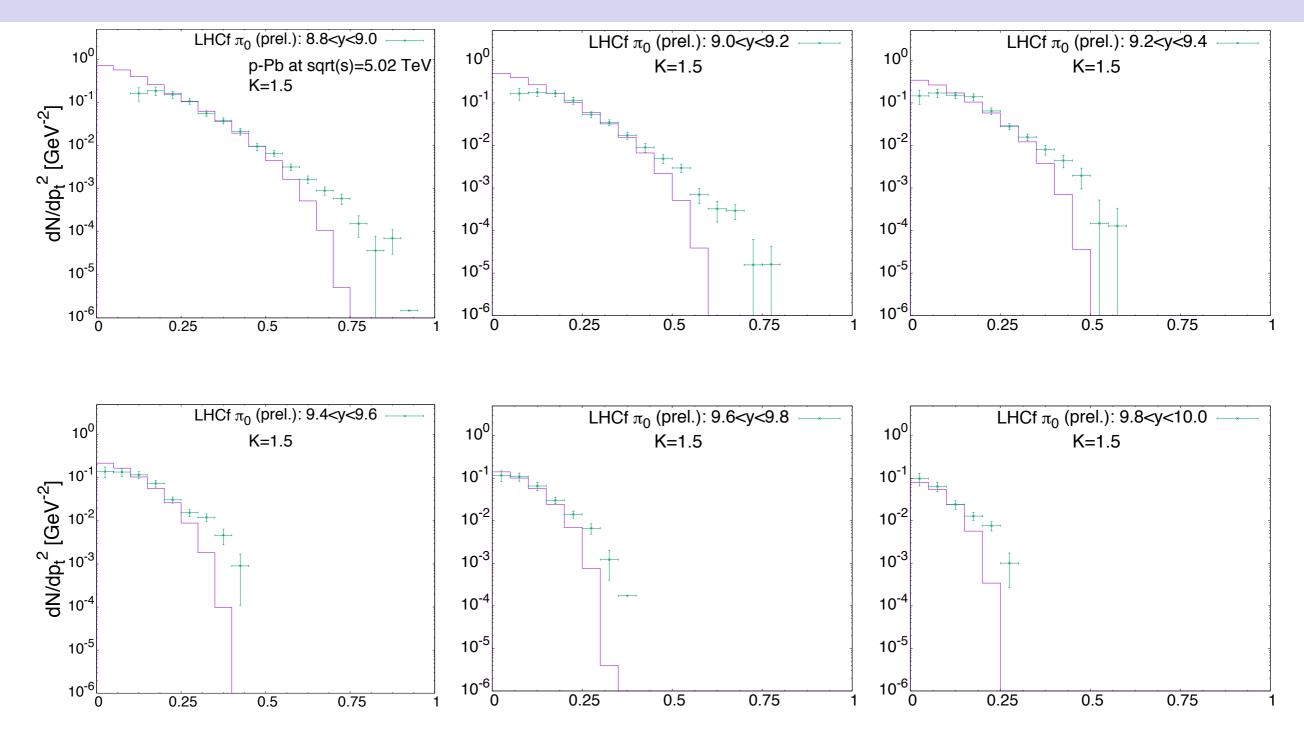
- CGC + Lund approach allows to reach p_t values as low as detected experimentally, $p_t \sim 0.2~{\rm GeV}$.
- Little sensibility to number of participants,
- BRAHMS data well described with K = 1.
- STAR data well described with K = 0.4 (also observed in previous analysis of data).

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LHCf: p-p @ 7 TeV

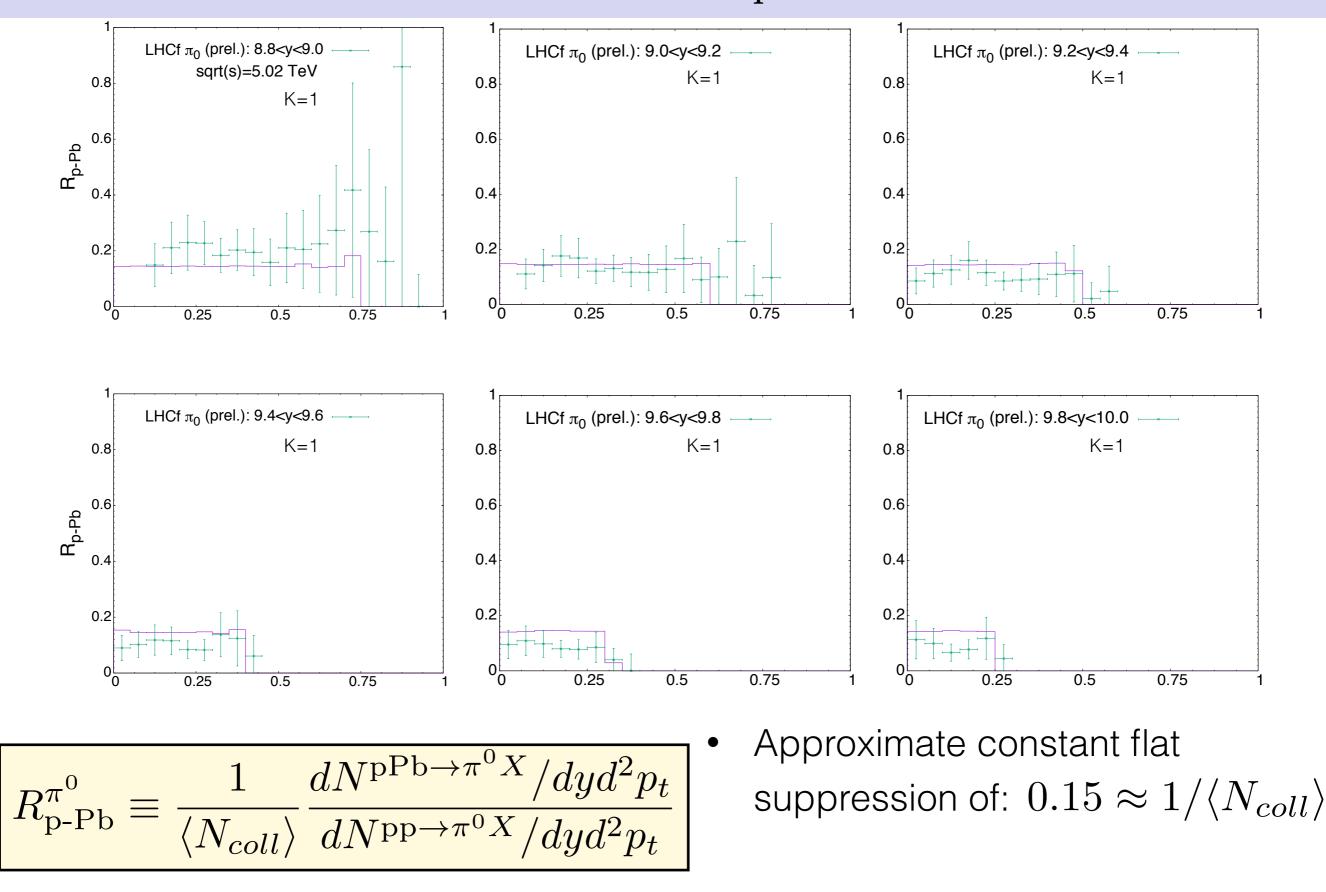


LHCf: p-Pb @ 5.02 TeV



- Plenty of room for improvement in the proton-nucleus implementation.
- Low momentum region well described (specially at the highest rapidities).

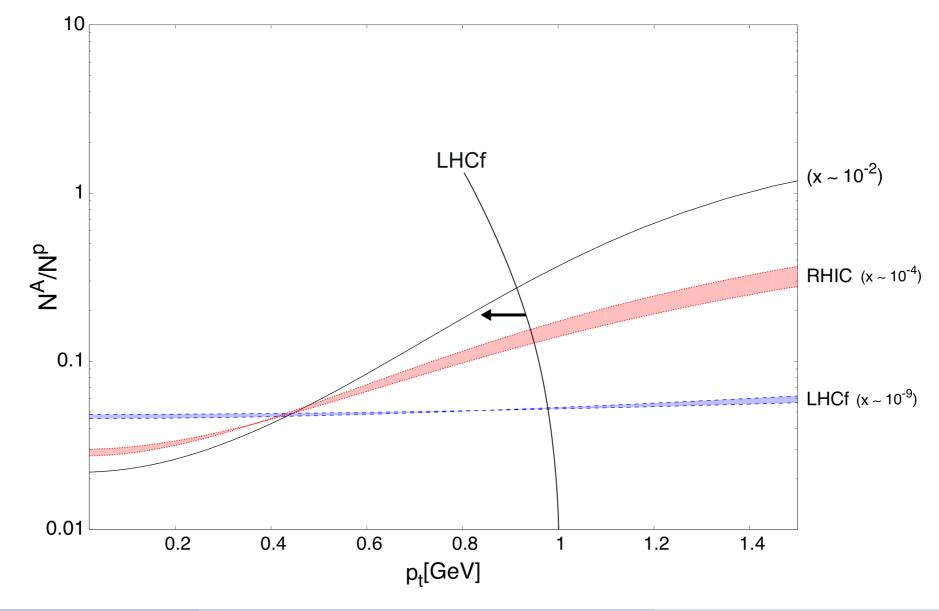
LHCf: nuclear modification factor $R_{\rm p-Pb}$ @ 5.02 TeV



LHCf: nuclear modification factor $R_{\rm p-Pb}$ @ 5.02 TeV

$$R_{\rm p-Pb}^{\pi^{0}} \equiv \frac{1}{\langle N_{coll} \rangle} \frac{dN^{\rm pPb \to \pi^{0}X}/dyd^{2}p_{t}}{dN^{\rm pp \to \pi^{0}X}/dyd^{2}p_{t}}$$

- Approximate constant flat suppression of: $0.15 \approx 1/\langle N_{coll} \rangle$
- This behavior can be understood as a direct consequence of the behavior of the ratios of the uGD's:



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- We achieve a good description of single inclusive spectra of charged particles and neutral pions at RHIC and the LHC respectively, and nuclear modification factors for proton-lead collisions at the LHC.
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- Forward particle production is of key importance in the development of air showers
 - Theoretically controlled extrapolation of our results to the scale of ultra-high energy cosmic rays, thus serving as starting point for future works on this topic

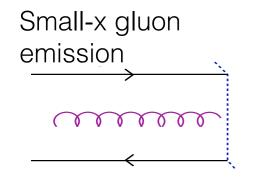
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- Forward particle production is of key importance in the development of air showers
 - Theoretically controlled extrapolation of our results to the scale of ultra-high energy cosmic rays, thus serving as starting point for future works on this topic
- This is only a first step; there is still a **lot of room for improvement!** (NLO corrections, proper Monte-carlo implementation of proton-nucleus, etc.)

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BACK-UP: BK equation with running coupling

• LO BK equation resumming $\alpha_s \ln (1/x)$ contributions to all orders:



LO Evolution Kernel:

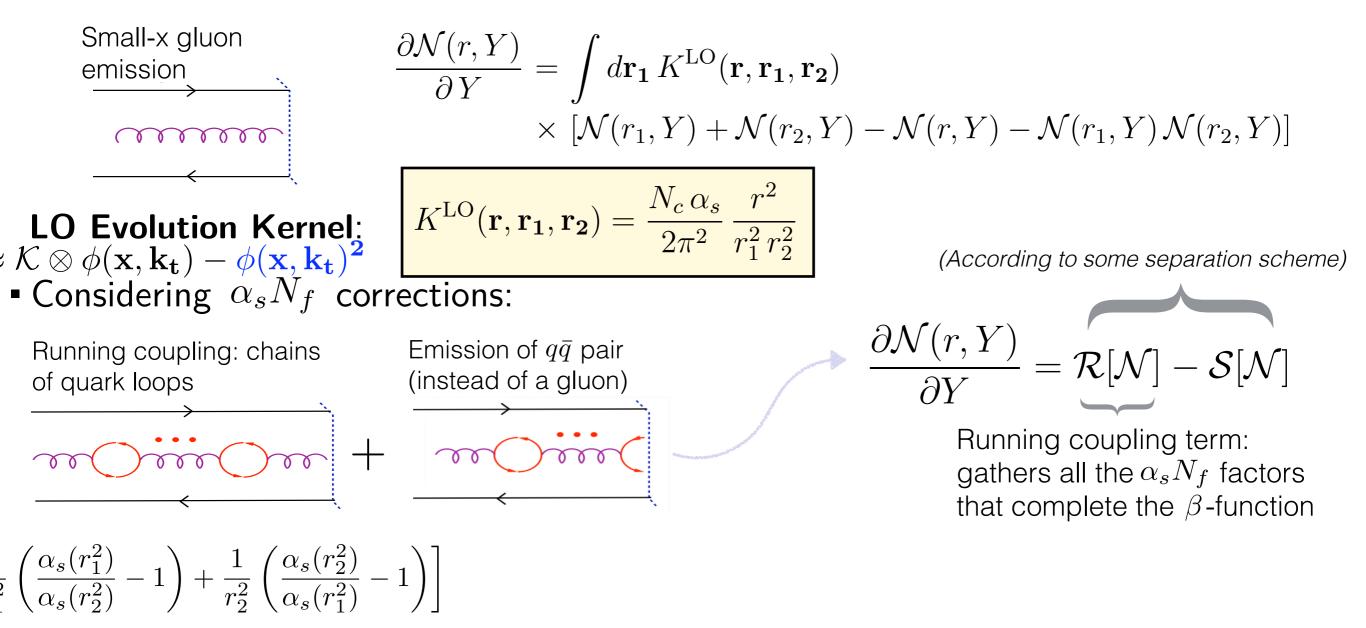
$$\frac{\partial \mathcal{N}(r, Y)}{\partial Y} = \int d\mathbf{r_1} \, K^{\text{LO}}(\mathbf{r}, \mathbf{r_1}, \mathbf{r_2}) \\ \times \left[\mathcal{N}(r_1, Y) + \mathcal{N}(r_2, Y) - \mathcal{N}(r, Y) - \mathcal{N}(r_1, Y) \, \mathcal{N}(r_2, Y) \right]$$

$$K^{\text{LO}}(\mathbf{r}, \mathbf{r_1}, \mathbf{r_2}) = \frac{N_c \,\alpha_s}{2\pi^2} \,\frac{r^2}{r_1^2 \,r_2^2}$$

1

BACK-UP: BK equation with running coupling

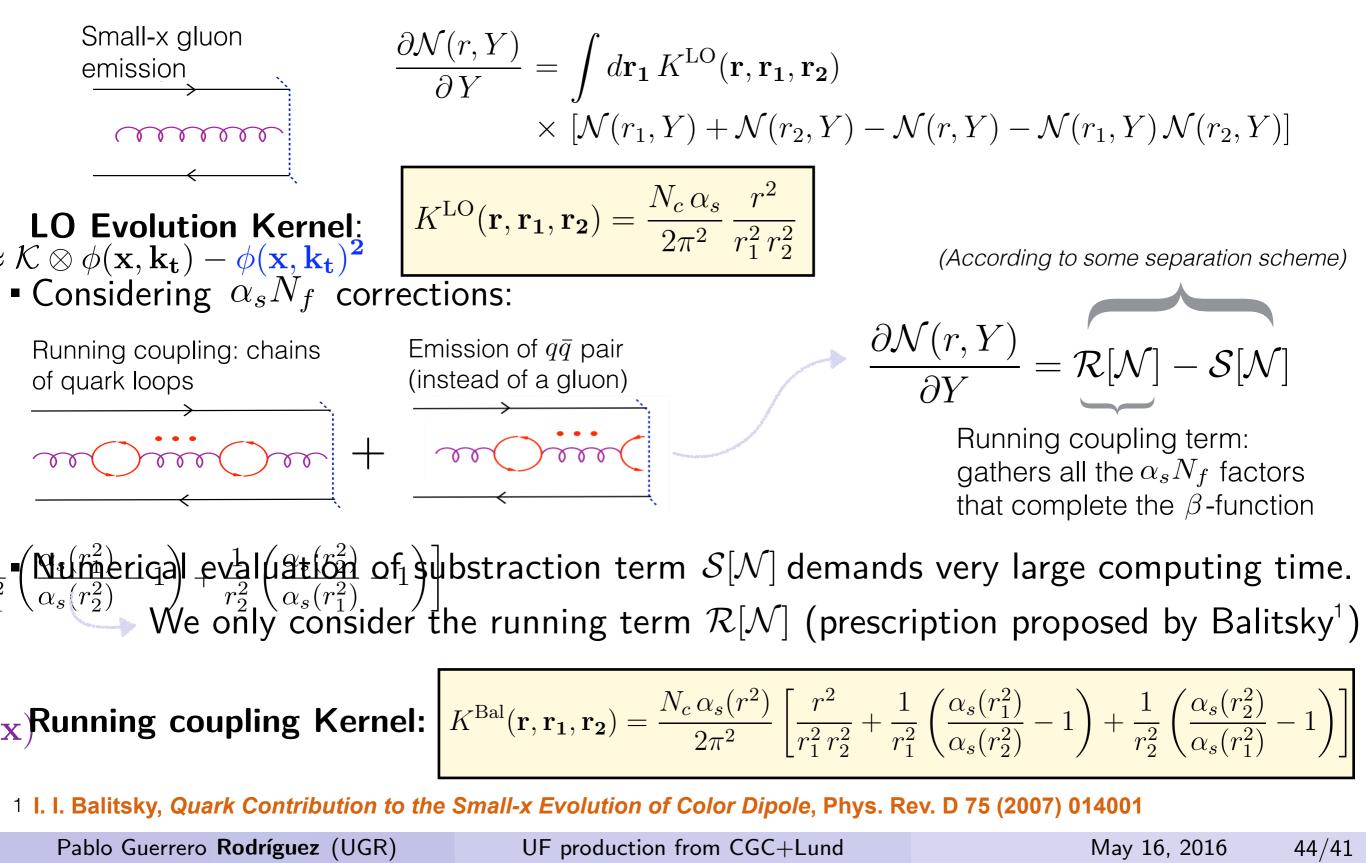
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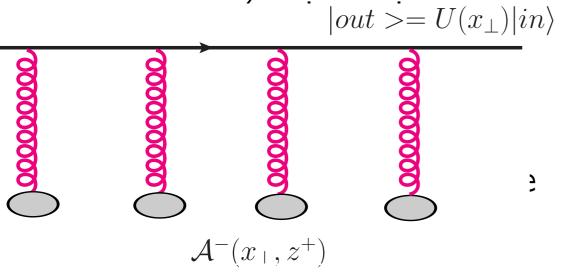
 $\mathbf{x})$

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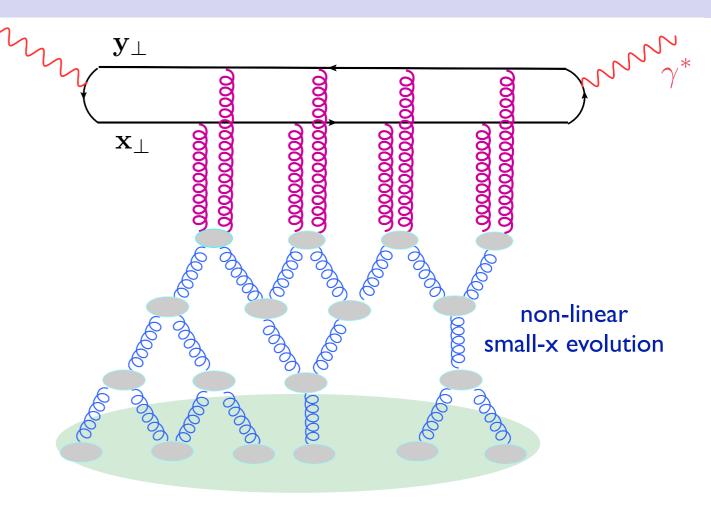


 Dipole models are simple formulations for the description of Deep Inelastic Scattering

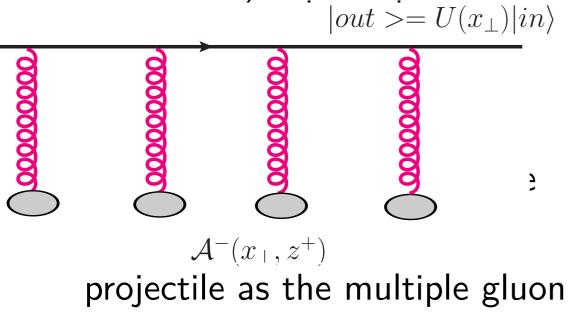


projectile as the multiple gluon

exchange with a virtual quark-antiquark dipole.



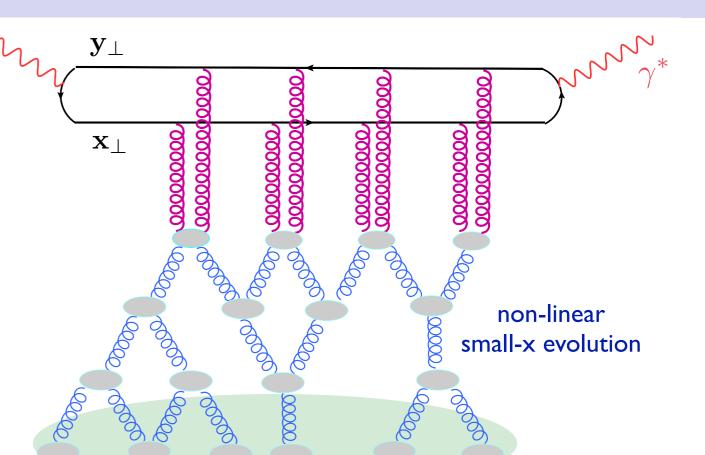
 Dipole models are simple formulations for the description of Deep Inelastic Scattering



exchange with a virtual quark-antiquark dipole.

- Multiple gluon scattering in the eikonal approximation: definition of **WILSON LINES**: $|in\rangle = |out|$

$$U(x_{\perp}) = \mathcal{P} \exp\left[ig \int dx^{-} A^{+}(x^{-}, x_{\perp})\right]$$



 $\mathcal{A}^{-}(x_{\perp}, z^{+})$

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UF production from CGC+Lund

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$$U(x_{\perp}) = \mathcal{P} \exp\left[ig \int dx^{-}A^{+}(x^{-}, x_{\perp})\right]$$

Dipole scattering amplitudes: two-point correlators of Wilson Lines:

$$\mathcal{N}(\mathbf{r}, \mathbf{b}, x) = 1 - \frac{1}{N_c} \langle \operatorname{tr} \{ U(x_{1\perp}) U^{\dagger}(x_{2\perp}) \} \rangle_x$$

 Unintegrated gluon distributions (uGD's) defined as the Fourier transform of dipole scattering amplitude. We take the uGD's as universal objects that represent the effect of gluon-saturated target over hadronic projectiles.

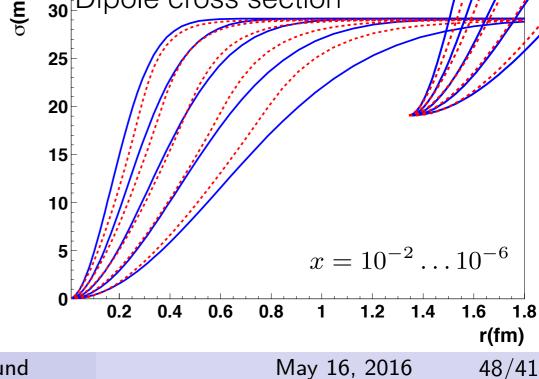
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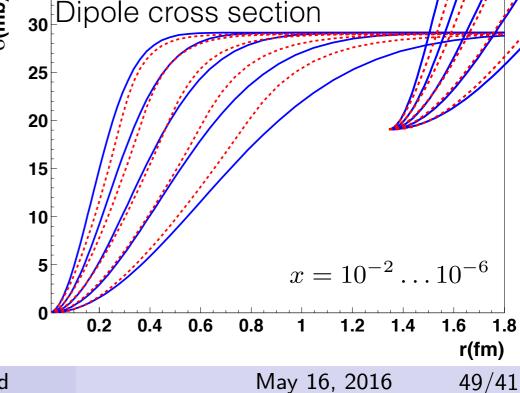
Small-x evolution encoded in BK equation

Theoretically controlled tool for extrapolation!

1 Golec-Biernat, K. et al. Phys.Rev. D79 (2009) 114010

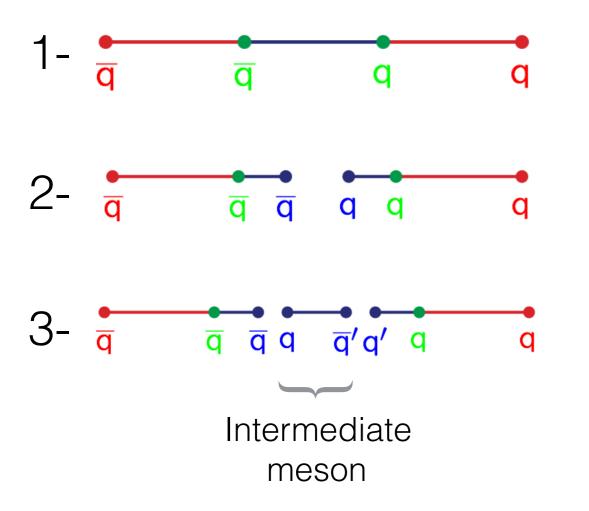
Pablo Guerrero **Rodríguez** (UGR)

UF production from CGC+Lund



BACK-UP: Model of baryon production in Lund formalism

- Diquark model: diquarks in color antitriplets are (effectively) fundamental objects of the theory diquark-antidiquarks fluctuations are an additional string breaking mechanism.
- **Popcorn model**: Quarks are the only fundamental objects. This model allows for the generation of intermediate mesons.



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